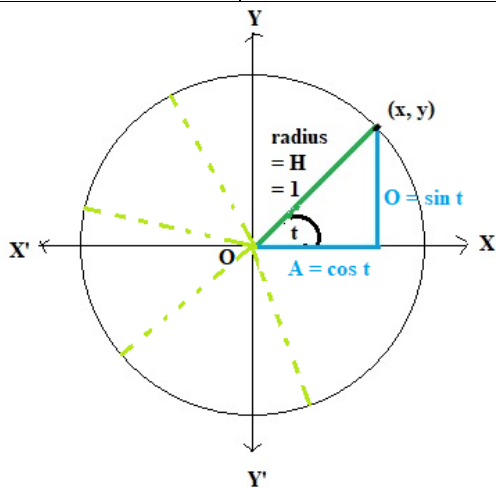


Pythagoras theorem states that a **triangle is right angled** IF and only if $H^2 = O^2 + A^2$. **Trigonometry** is a branch of mathematics that studies relationships between lengths and angles of triangles. **Trigonometric ratios** provide these relationships. The following table summarizes these trigonometric ratios or **functions**, as they are also known. As these are ratios, they don't have any units.

Trigonometric ratio		
Name	Ratio	Notation
Sine	Opp/hyp O/H	$\sin(\Theta)$
Cosine	Adj/hyp A/H	$\cos(\Theta)$
Tangent	Opp/Adj O/A	$\tan(\Theta)$
Cosecant	Hyp/opp H/O	$\csc(\Theta)$
Secant	Hyp/Adj H/A	$\sec(\Theta)$
Cotangent	Adj/Opp A/O	$\cot(\Theta)$



The same concepts can be visualized in a circle of **radius** of **1**, centered at the **origin**, called a **unit circle**. Imagine a point **(x, y)** on the circle. It starts from the **x axis** and travels in the **counter-clockwise** direction (just to keep the angles positive). Imagine that it is covering **one full rotation**; the central angle (in radians) increases from **0 degrees (0 radians)** to **360 degrees (2π radians)** after the rotation when the point returns to its starting place on the x axis. The **radius** joining **(x, y)** to the **origin O** that forms **angle t** with the **x axis** forms the **hypotenuse** of the **right triangle** shown in the figure. The length of the **opposite side** (blue **O**) is **y units** whereas the length of the **adjacent side A** is **x units**.

Remember that $\sin t = O/H = y/\text{radius} = y/1 = y$ units

$\cos t = A/H = x/\text{radius} = x/1 = x$ units

$\tan t = O/A = y/x$ units